

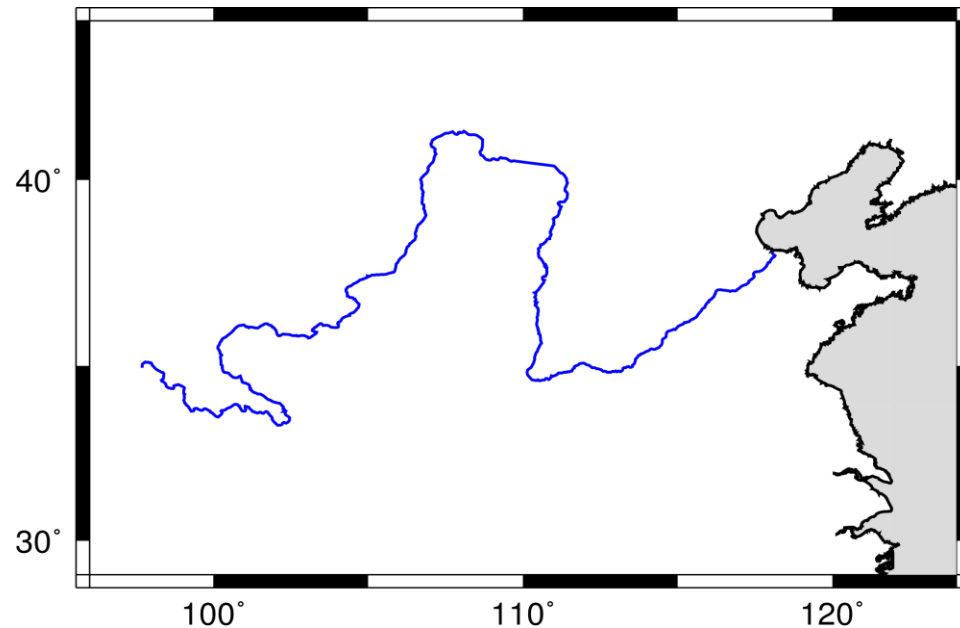
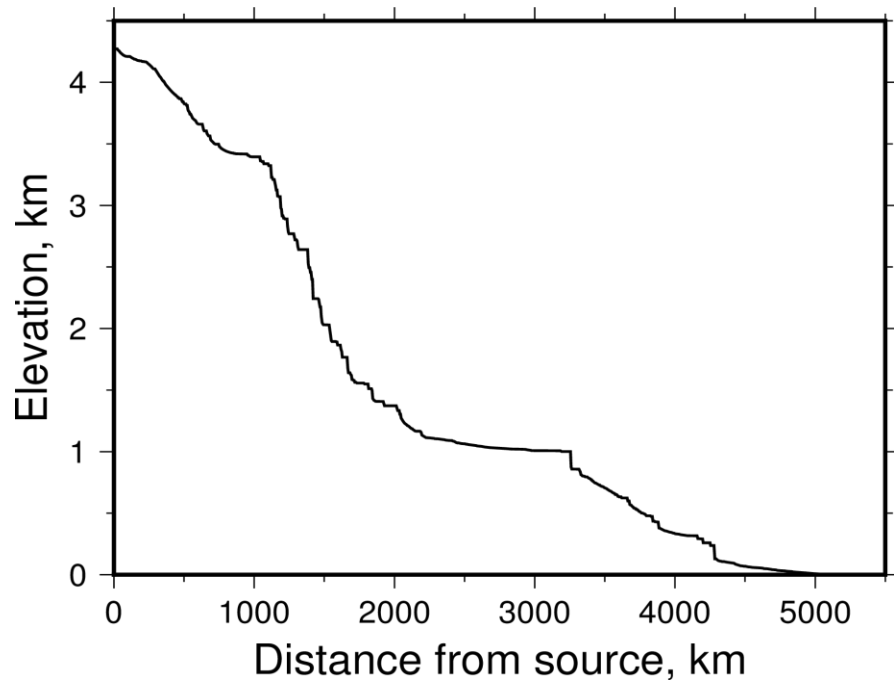
Linear Inverse Modelling and Scaling Analysis of Drainage Networks

Conor O'Malley*, Nicky White
Bullard Labs, University of Cambridge
Rain, Rivers, Reservoirs Conference 2016

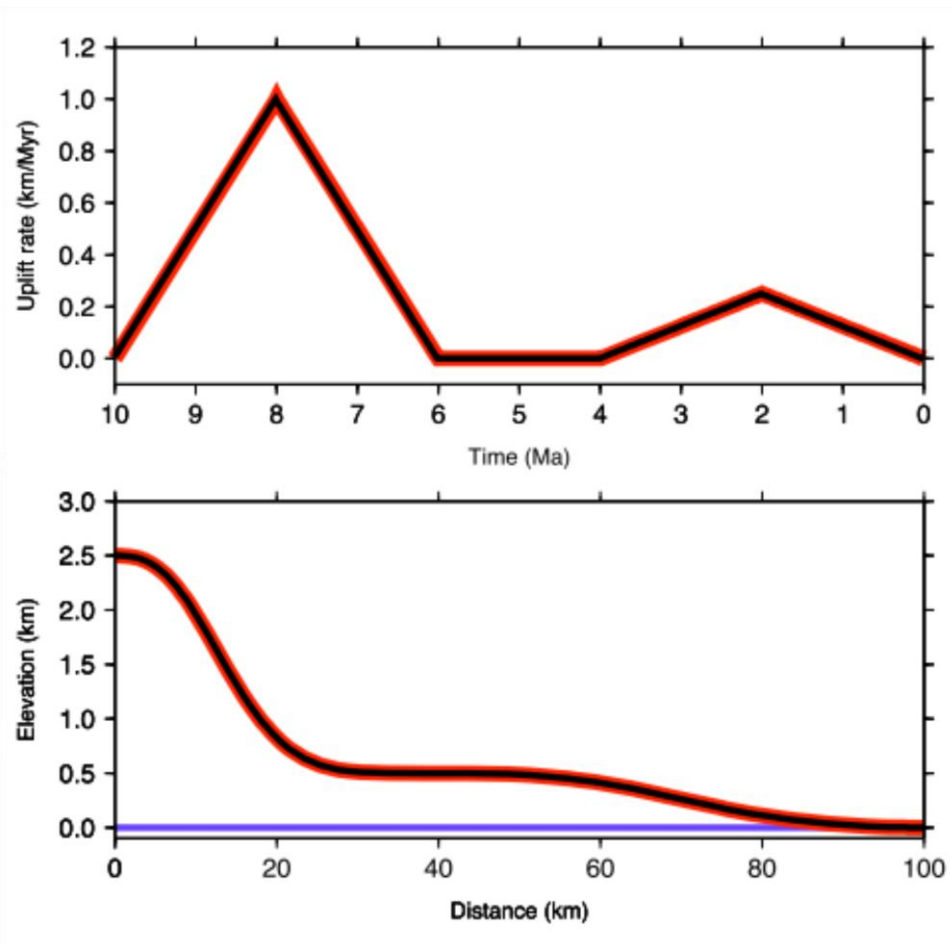
Overview

- Introduction
- Theory behind river profile behaviour
- Formulating an inverse problem
- Results and calibration
- Scaling analysis
- Future work and conclusions

Introduction

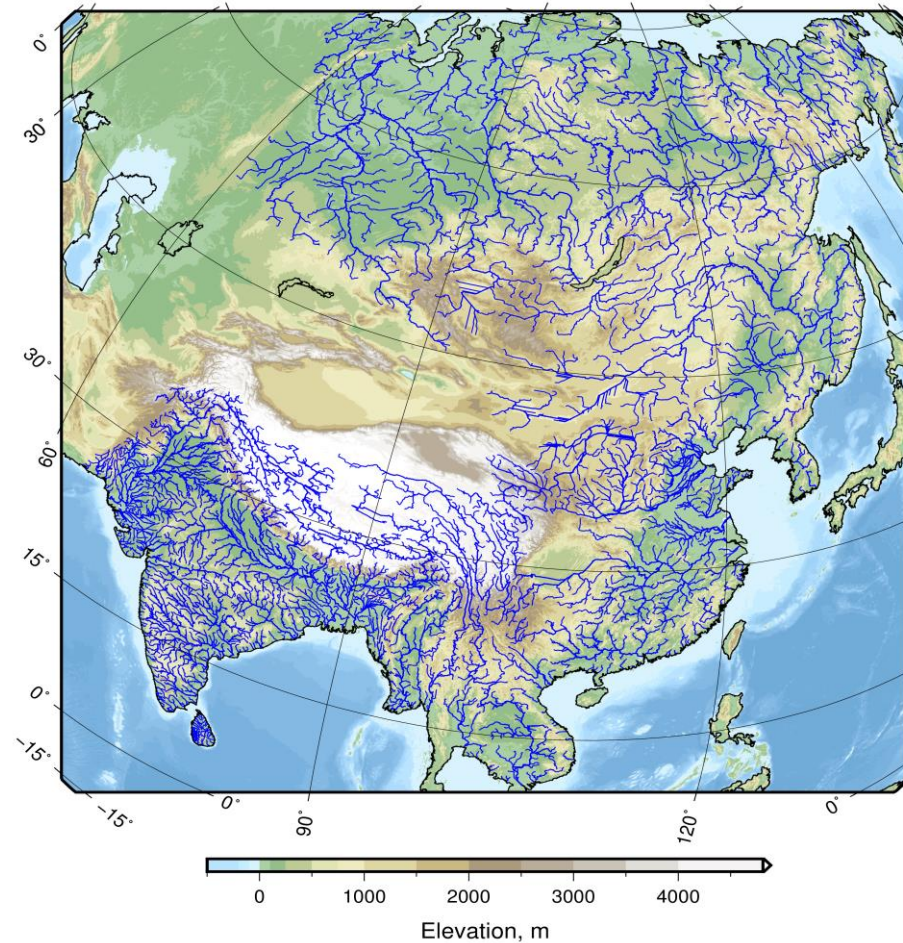


Introduction

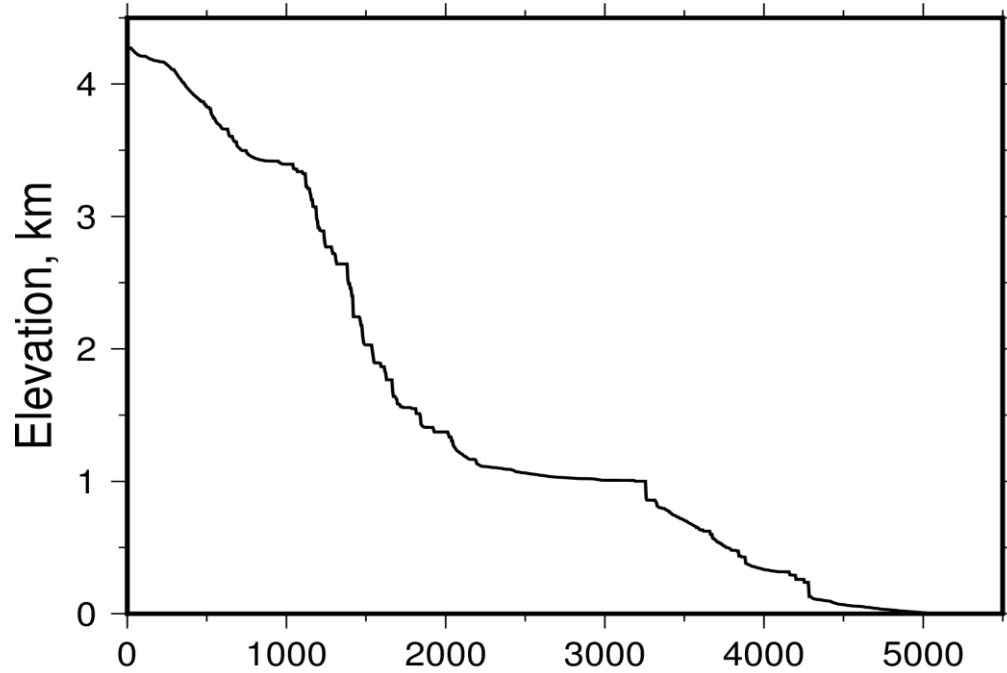


Roberts & White 2010,
JGR

Introduction



River Profile Theory



$$\frac{\partial z}{\partial t} = U(x, t) + E(x, t)$$

River Profile Theory

$$E(x, t) = -v[PA(x)]^m \left(\frac{\partial z}{\partial x}\right)^n + \kappa \left(\frac{\partial^2 z}{\partial x^2}\right)$$

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Formulating an Inverse Problem

$$-\frac{\partial z}{\partial t} + v A^m \frac{\partial z}{\partial x} = U(x, t)$$

Formulating an Inverse Problem

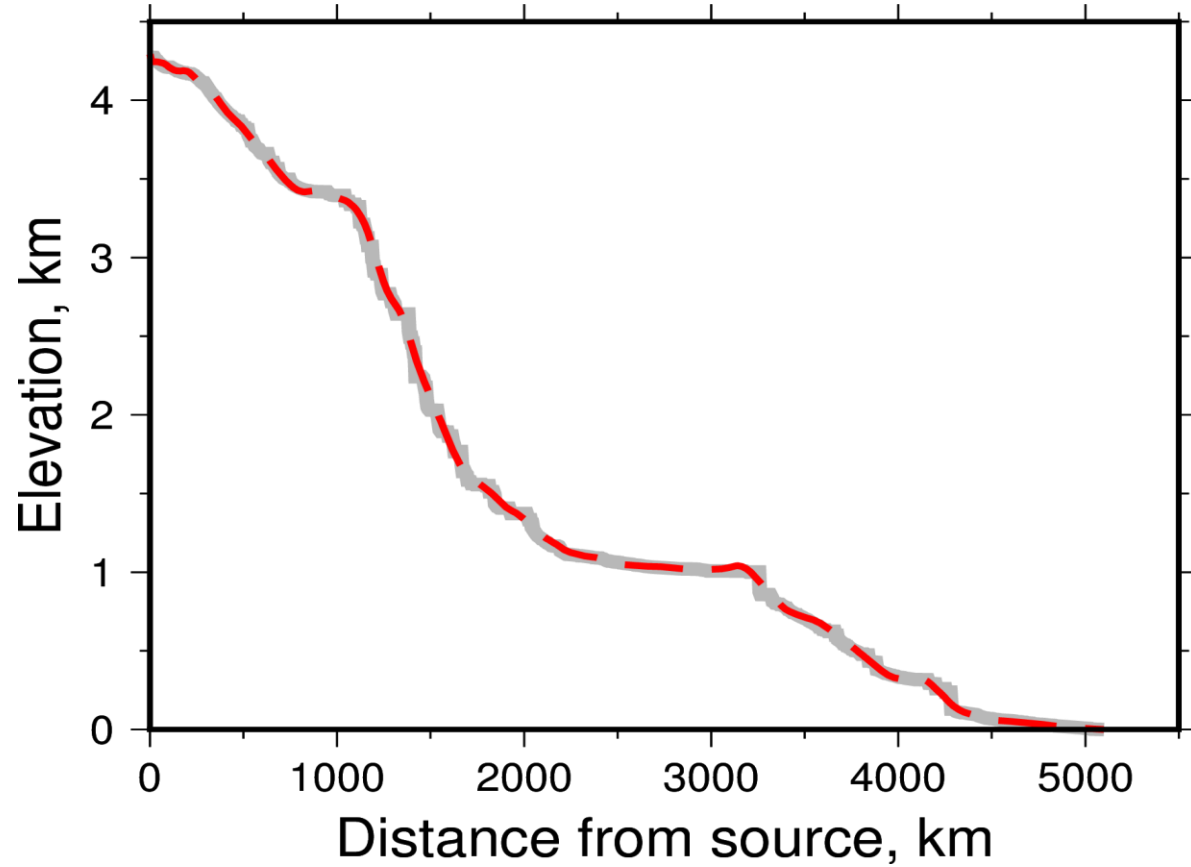
$$\frac{dx}{dt} = -vA^m$$

$$\frac{dz}{dt} = -U(x(t), t)$$

Formulating an Inverse Problem

$$z^* = \int_0^{\tau_G} U(x(t), t) \cdot dt$$

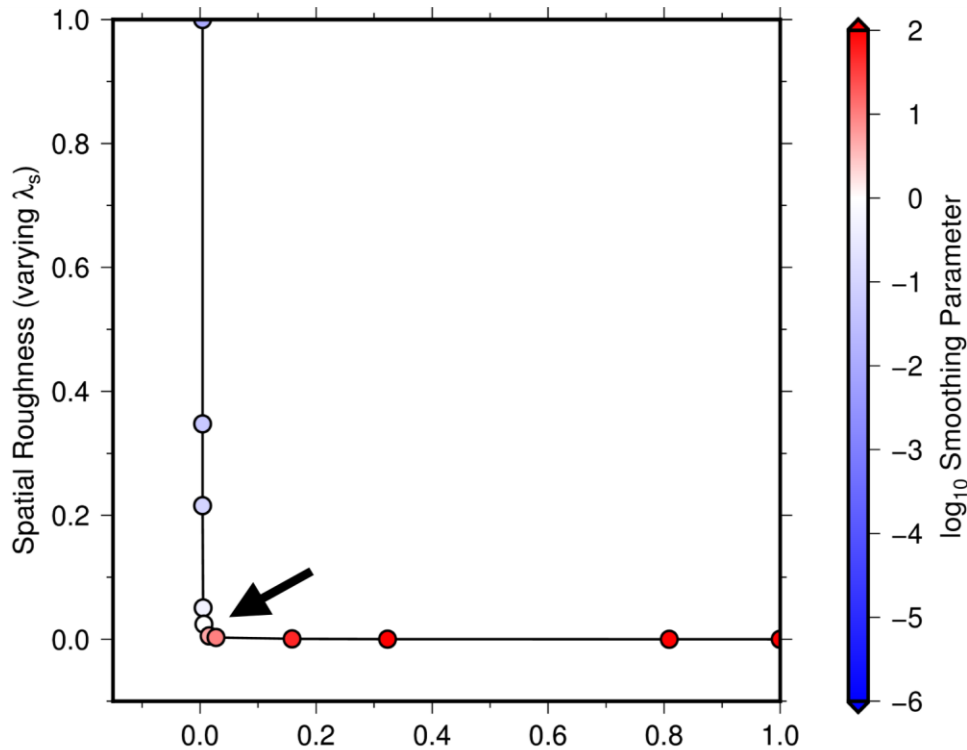
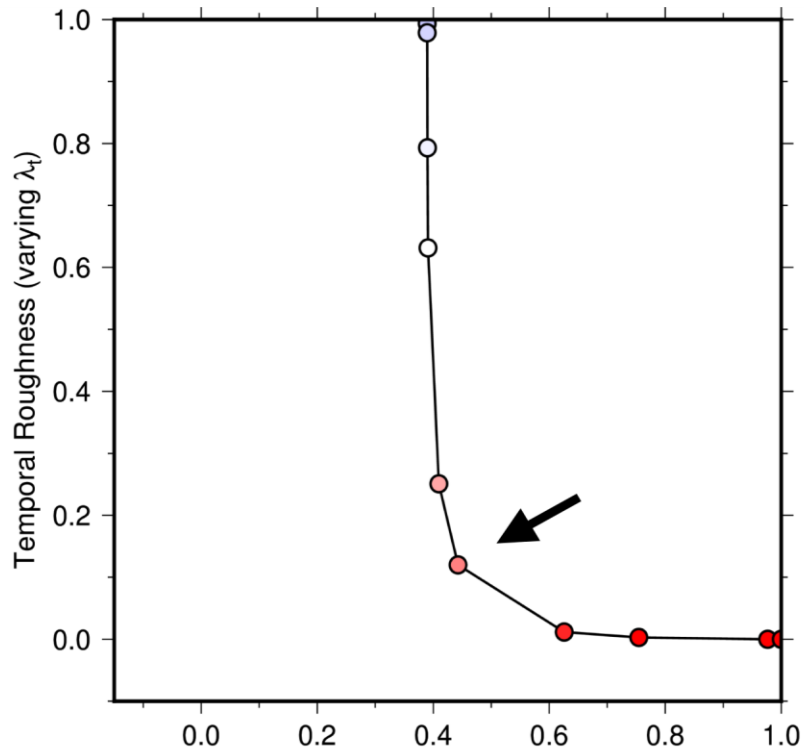
Calibration



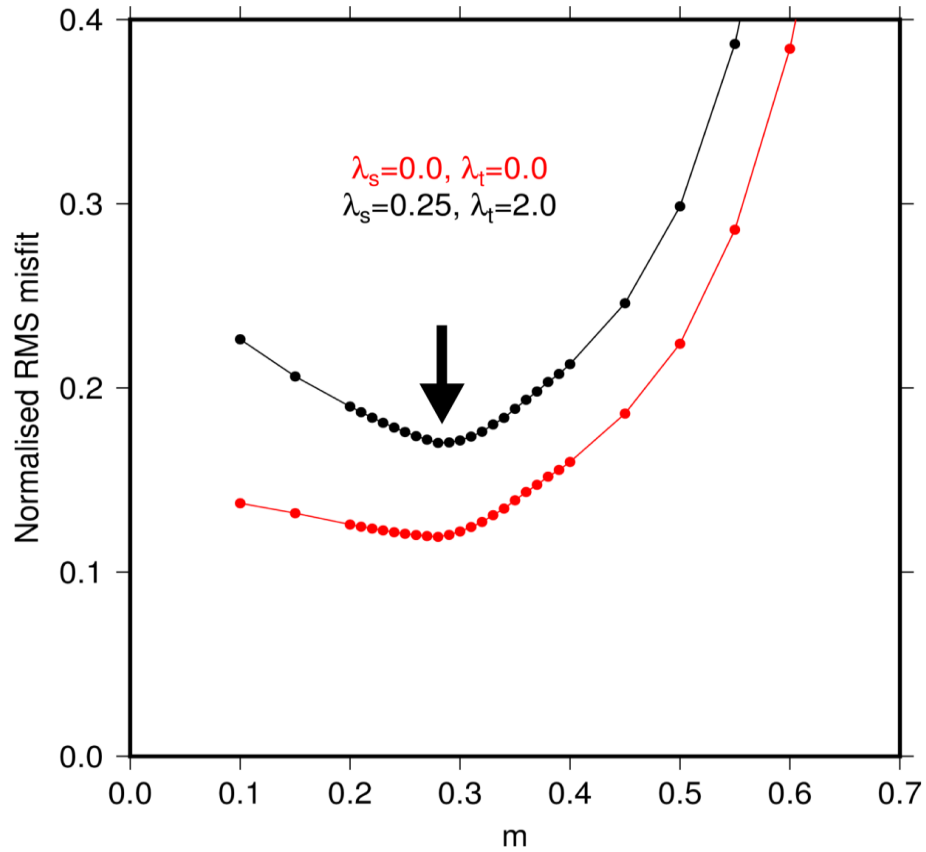
Calibration

$$-\frac{\partial z}{\partial t} + vA^m \frac{\partial z}{\partial x} = U(x, t)$$

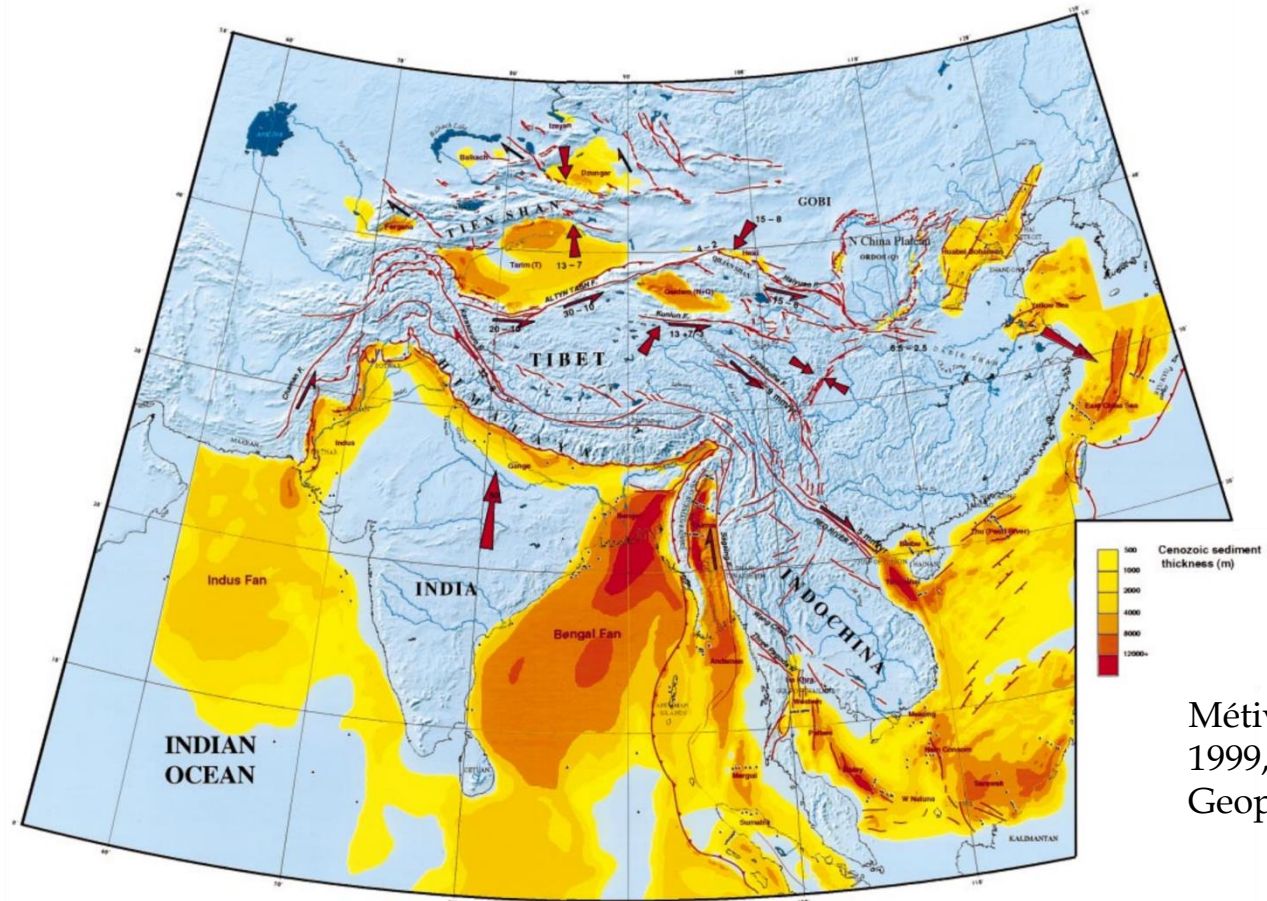
Calibration



Calibration

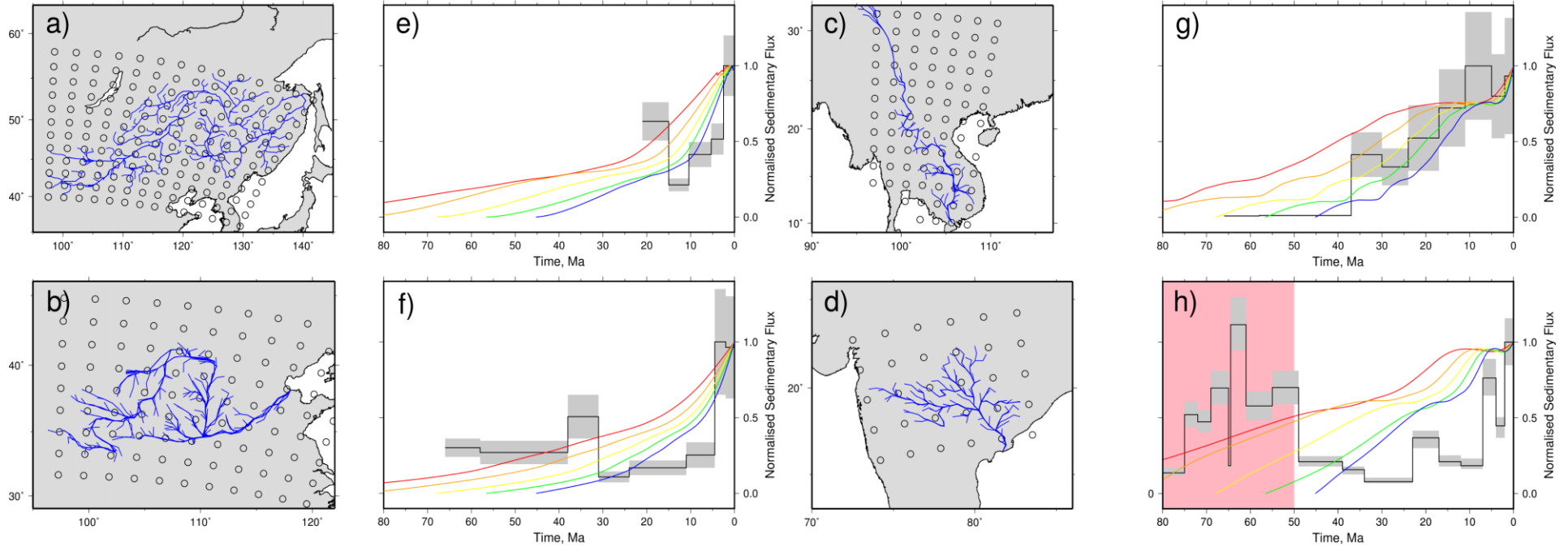


Calibration



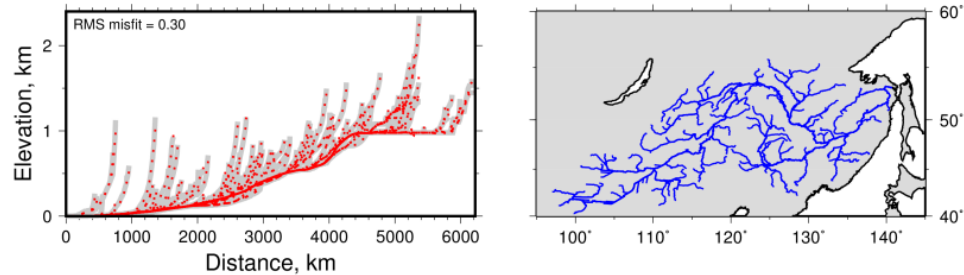
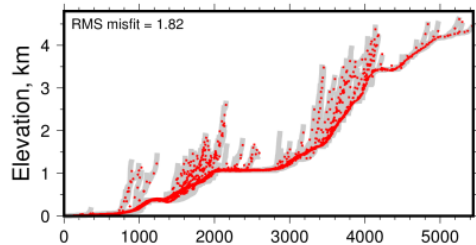
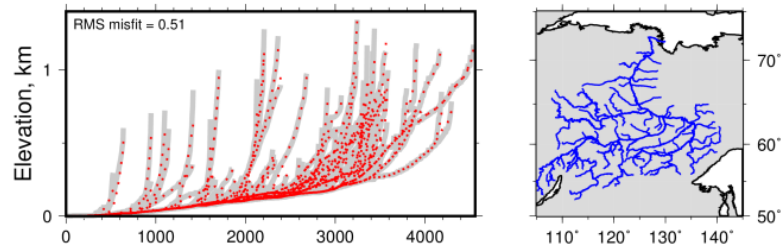
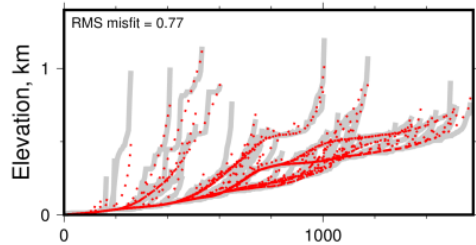
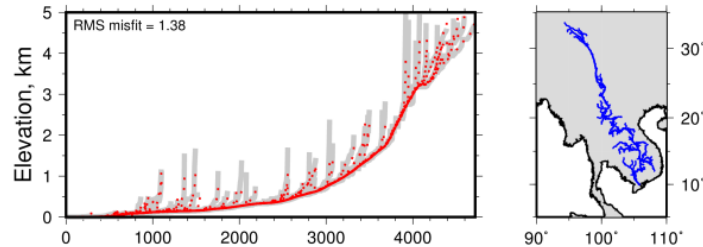
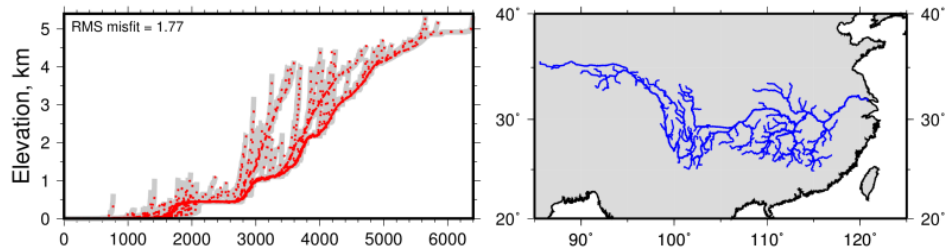
Métivier et al.
1999,
Geophys. J. Int.

Calibration

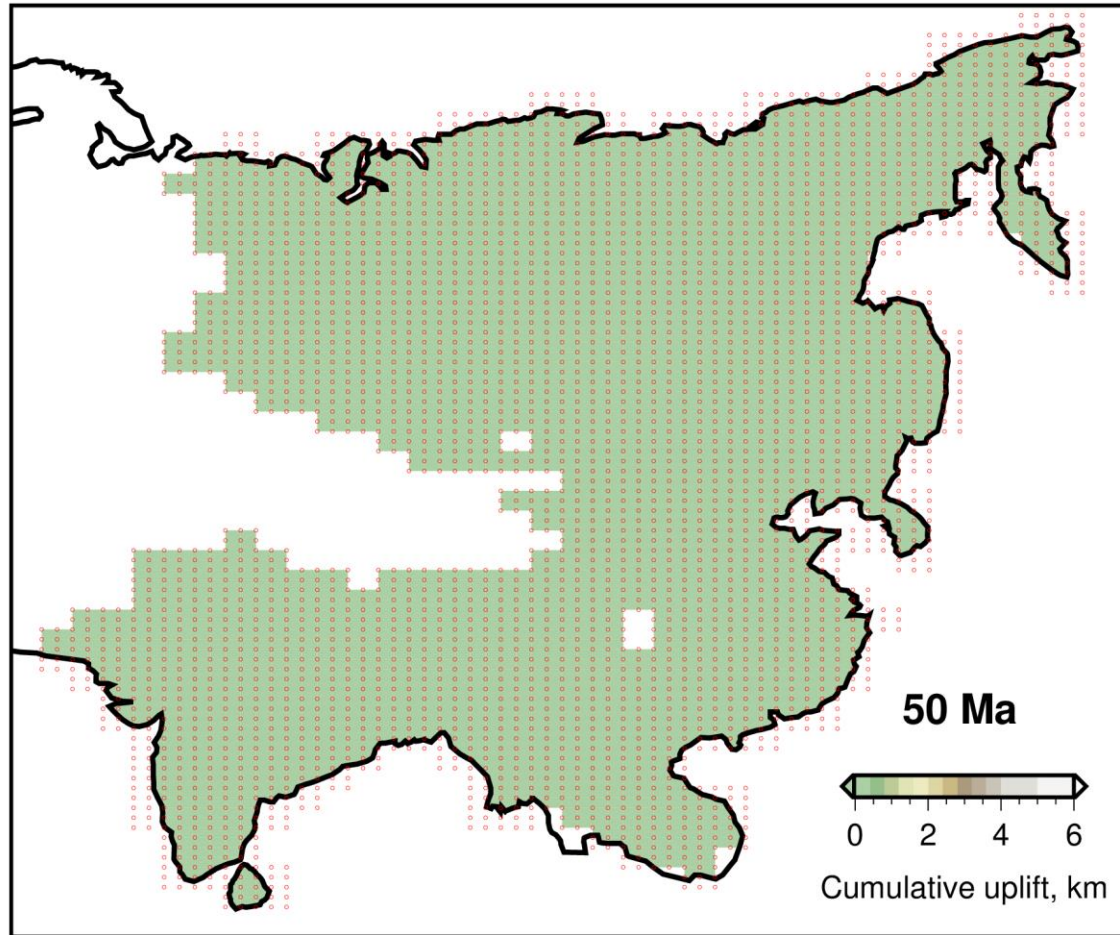


Métivier *et al.* 1999 (*Geophys. J. Int.*), Nicholson *et al.* 2015 (*Basin Research*), Richards *et al.* 2016 (*G3*, under review)

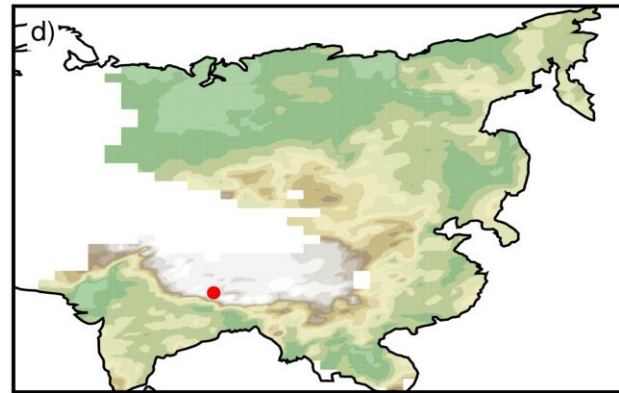
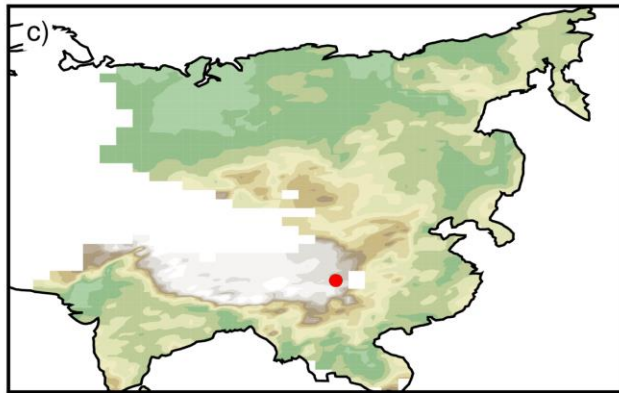
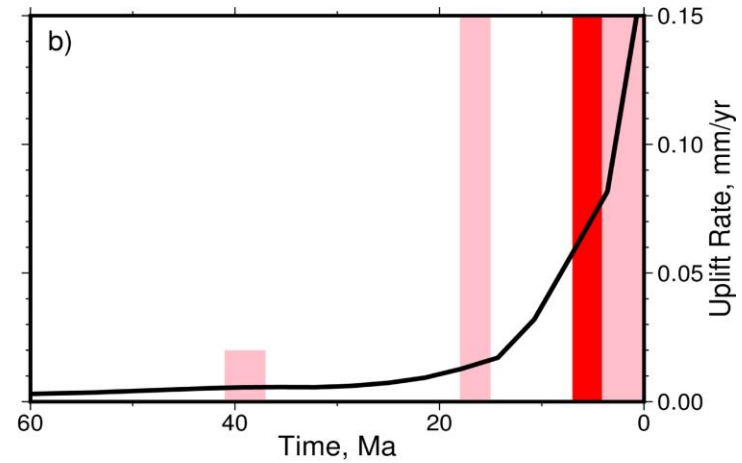
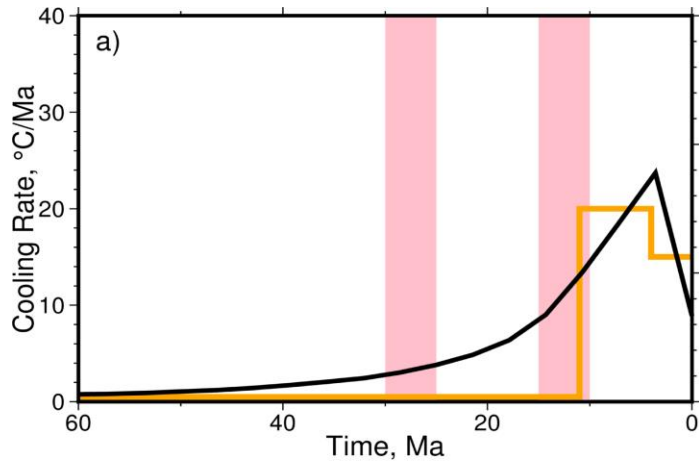
Results for Asian Rivers



Results for Asian Rivers



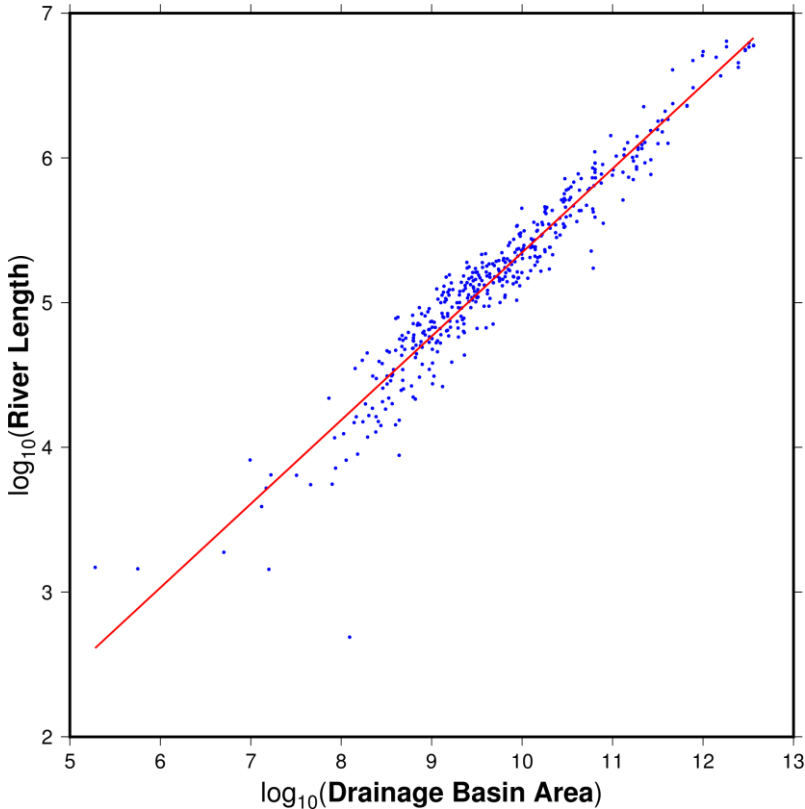
Results for Asian Rivers



Values of Erosional Constants

- v and m vary
- Why?
- What length- and time-scale?

Scaling Analysis



$$L = CA^h$$

$$C = 0.359$$

$$h = 0.579$$

Conclusions & Future Work

- Calculated uplift history recreates Asian river profiles well, using single values of erosional constants.
- History agrees with constraints on uplift and sediment flux.
- Asian rivers record of uplift to earliest Cenozoic times.

Future Work

- Do erosional constants vary significantly globally/within Asia?
- Do erosional constants correlate with geomorphic indices?
- Link landscape evolution with river profile evolution.

Future Work

